## Benyu Wang

## University of Michigan, Ann Arbor, US

| Interests   |  |
|---|--|
| • Broad interest in <b>Theoretical Computer Science</b> .   |  |
| • Study and research experience in <b>Graph Algorithms</b> / <b>Combinatorics</b> / <b>Complexity Theory</b>  |  |
| Education   |  |
| University of Michigan  | Ann Arbor, US  |
| PhD student at Computer Science and Engineering (CSE)   | Aug 2022 – now   |
| o Advisor: Prof. Thatchaphol Saranurak  |  |
| Yao Class, Tsinghua University  | Beijing, China   |
| B.Eng., Computer Science and Technology   | Aug 2019 – Jun 2023  |
| o Advisor: <i>Prof. Ran Duan</i>  |  |
| o GPA: <b>3.90</b> /4.00 & For Yao Class courses only: <b>3.98</b> /4.00  |  |
| <b>Selected Courses</b> : (A+/A stand for 95-100 in 100-point values, A+ is   | the best grade)  |
| · Mathematics for Computer Science (A+) & Mathematics for Artificia   | l Intelligence ( <b>A+</b> )   |
| The only one to get both A+ from the two courses instructed by Prof.  | Andrew Yao in Spring 2020.   |
| · Theory of Computation (A+) & Design and Analysis of Algorithms (  | <b>A</b> +)  |
| · Basic Topology (A) & Abstract Algebra (A+) & Game Theory (A) & C  | ryptography (A)  |
| Experiences   |  |
| University of Michigan  | Ann Arbor, US  |
| Undergraduate Research Intern (Visitor)   | Feb 2022 – Aug 2022  |
| o Visiting the theory group of UM. Worked with Prof. Seth Pettie and  | Prof. Thatchaphol Saranurak.   |
| Publications  |  |
| Tight Conditional Lower Bounds for Vertex Connectivity Prob   | ems  |
| Zhiyi Huang, Yaowei Long, Thatchaphol Saranurak, <b>Benyu Wang</b>  |  |
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| • STOC 2023, arXiv:2212.00359.  |  |
|   | ming the 4-Clique conjecture. We   |
| o STOC 2023, arXiv:2212.00359.  |  |
| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assu</li> </ul>  | $\Theta(n^4)$ for combinatorial algorithms   |
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| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assus showed that the all-pairs vertex connectivity problem has complexity and gave hardness results for other vertex connectivity problems, separately</li> </ul>   | $\Theta(n^4)$ for combinatorial algorithms   |
| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assushowed that the all-pairs vertex connectivity problem has complexity and gave hardness results for other vertex connectivity problems, sepanectivity problems and related edge connectivity problems.</li> </ul>   | $\Theta(n^4)$ for combinatorial algorithms   |
| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assushowed that the all-pairs vertex connectivity problem has complexity and gave hardness results for other vertex connectivity problems, sepanectivity problems and related edge connectivity problems.</li> <li>Teaching</li> </ul>   | $\hat{O}(n^4)$ for combinatorial algorithms trating the hardness of vertex con-  |
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| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assus showed that the all-pairs vertex connectivity problem has complexity and gave hardness results for other vertex connectivity problems, sepanectivity problems and related edge connectivity problems.</li> <li>Teaching</li> <li>Teaching Assistant, Theory of Computation</li> <li>Undergraduate theory course instructed by Prof. Ran Duan.</li> </ul> | $O(n^4)$ for combinatorial algorithms trating the hardness of vertex conspring 2023, Tsinghua University   |
| <ul> <li>STOC 2023, arXiv:2212.00359.</li> <li>We gave tight lower bounds for vertex connectivity problems assus showed that the all-pairs vertex connectivity problem has complexity and gave hardness results for other vertex connectivity problems, sepanectivity problems and related edge connectivity problems.</li> <li>Teaching</li></ul>  | $O(n^4)$ for combinatorial algorithms trating the hardness of vertex conspring 2023, Tsinghua University   |
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